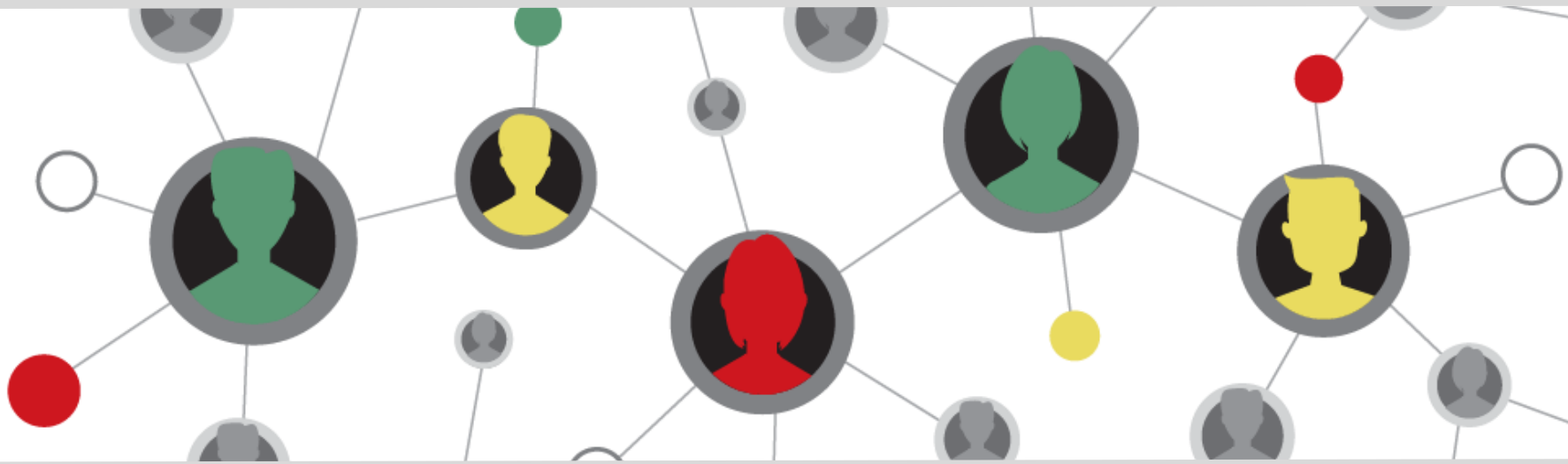


Can computational thinking help students to learn reasoning in physics?

Martinuscollege,
jouw plek!

Cathy Baars



Start at 16:45 uur



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Content

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- What happened?
- What did we do?
- What had to change?
- Our wishes
- How can computational thinking help?

What happened?

- Normally my classes scored better on the central exams than average
- The last two exams they scored lower than average
- There was no change in exam content

1.1 Het centraal examen natuurkunde

De zitting en de zittingsduur van het centraal examen worden gepubliceerd op www.examenblad.nl. Ook wordt daar dan een lijst gepubliceerd met hulpmiddelen die bij het examen zijn toegestaan.

Bij het maken van het centraal examen wordt ernaar gestreefd dat 50% van het totaal aantal scorepunten dat door de kandidaat behaald kan worden, afkomstig is van vragen waarbij voor de beantwoording een expliciete berekening noodzakelijk is.

In bijlage 4 van deze syllabus wordt informatie gegeven over de correctie van het centraal examen natuurkunde.

- In the past 80 – 90 % of the scores were obtained with “calculation” questions
- Now 50 % of the scores must be obtained by “reasoning” questions
- From 25 – 28 questions \approx 13 – 20 questions are reasoning questions
- We missed 1 sentence in a 41 pages large exam description



The candidate is able to:

- analyse
- explain
- evaluate
- test
- describe
- perform calculations

the subjects:

- technical design
- environmental society
- in the context of:
 - mechanics
 - electromagnetism
 - materials
 - radiation
 - waves
 - quantum dynamics

- Scientific literacy
- Critical thinking
- Not new but...

- Yellow = scientific literacy related
- Orange = modelling
- Green = calculations

It is not enough to write some essays



What did we do?



- Systematic Problem Analysis (SPA)
- Helpful for the less brilliant students

What is the question?	
Kind of question (calculation, determination, explain)	
Data and sketch	
Relevant knowledge/formulas	
Plan	
Execution	
The answer: (ALRUS) <ul style="list-style-type: none">• answer to the question asked?• logic• readable• units• significance	



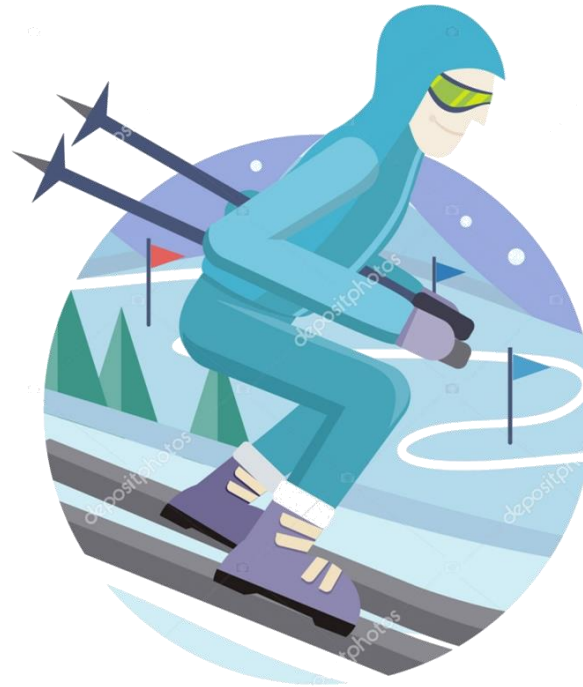
What	How	Known	Needed	Calculation

Very nice way to get insight in the (wrong) steps a student makes to solve a problem

Example of SPA

- Skier ($m=80$ kg) on a slope (20°)
- There is air friction and kinetic friction.
- The air friction constant is $2,0$ kg/m
- The kinetic friction coefficient is $0,05$
- Initial velocity is 0 m/s

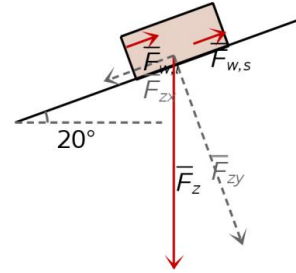
- What is the final velocity?



Example



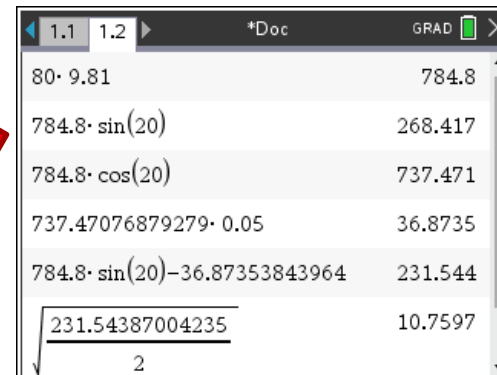
What is the question?	Ve
Kind of question	Calculation
Data and sketch	$m = 80 \text{ kg}$ $\alpha = 20^\circ$ $k_1 = 2,0 \text{ kg/m}$ $k_2 = 0,05$
Relevant knowledge/formulas	$F = m \cdot g$ $F_{z//} = F_z \cdot \sin(\alpha)$ $F_{z\perp} = F_z \cdot \cos(\alpha)$ $\Sigma F = 0 = F_{wl} + F_{ws} - F_{z//} = 0$ $F_{wl} = k_1 \cdot v^2$ $F_{ws} = k_2 \cdot F_n$
Plan	
Execution	
The answer: (ALRUS)	11 m/s (= 39 km/h)
<ul style="list-style-type: none"> Answer to the question asked? logic readable unity Significance 	



- Skier ($m=80 \text{ kg}$) on a slope (20°)
- There is air friction and kinetic friction.
- The air friction constant is $2,0 \text{ kg/m}$
- The kinetic friction coefficient is $0,05$ and is proportional to the normal force
- Initial velocity is 0 m/s
- What is the final velocity?



What	How	Known	Needed	
v	$F_{wl} = k_1 \cdot v^2$	k_1	F_{wl}	11
F_{wl}	$F_{wl} + F_{ws} = F_{z//}$	-	$F_{z//}$ and F_{ws}	232
F_{ws}	$F_{ws} = k_2 \cdot F_n = k_2 \cdot F_{z\perp}$	k_2	$F_{z\perp}$	37
$F_{z\perp}$	$F_{z\perp} = F_z \cdot \cos(\alpha)$	α	F_z	737
F_z	$F_z = m \cdot g$	m, g	--	785
$F_{z//}$	$F_{z//} = F_z \cdot \sin(\alpha)$	α	F_z	268
F_z	$F_z = m \cdot g$	m, g	--	785



Follow up questions

- Calculate the angle of the slope if the final velocity is 15 m/s
- You waxed your skies, now the friction coefficient is 0,01. What is the final velocity?
- You bent more forward so the air friction constant becomes 1,5 kg/m. What is the increase in final velocity?

—————→ Due to memory overload no deeper learning

Better questions to prepare for scientific literacy

- If you wax your skies, what will happen with the final velocity ? Explain !
- If the slope becomes steeper, what will happen with final velocity ? Explain!
- How will the velocity, time graph change if the air friction is higher? Explain!

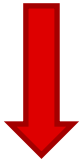
—————→ start a discussion

—————→ oral discussion ≠ written scientific literacy

Our wishes



- Using a algorithmic way as strategy for scientific reasoning
- Reduce of working load/memory load to obtain space for understanding




- SPA+
- Algorithmic thinking
- Coding (?)



Computational Thinking and coding

~~Modelling~~

SPA +

What is the question?	
Type of question (data, connection or conclusion)	
Information, data and sketch	
Relevant knowledge/formulas	
	
Combining all elements	
Is the answer an answer to the question asked?	

Important to be aware of the different types of questions.

- Data:
 - If the skier wants to go slower at the end, what can he do to obtain that?
- Connection:
 - Explain why the acceleration of the skier becomes zero
- Conclusion:
 - There is frontal wind to the skier, giving him extra air friction. Explain what will happen with the final velocity

Example of SPA+



Question:

- The skier wants to decrease the final velocity, how can he obtain that?

What is the question?	How to obtain a lower v_e ?		
Type of question (data, connection or conclusion)	Data has to be changed		
Information, data and sketch	<p> $m = 80 \text{ kg}$ $\alpha = 20^\circ$ $k_1 = 2,0 \text{ kg/m}$ $k_2 = 0,05$ </p> <p>It is the same skier, with the same skies at the same slope. So this means that m, α and k_2 don't change</p>		
Relevant knowledge/formulas	<p> $F = m \cdot g$ $F_{z//} = F_z \cdot \sin(\alpha)$ $F_{z\perp} = F_z \cdot \cos(\alpha)$ $\Sigma F = 0 = F_{w,l} + F_{w,s} - F_{z//} = 0$ $F_{w,l} = k_1 \cdot v^2$ $F_{w,s} = k_2 \cdot F_n$ </p>		
	Data	Conclusion	
	?	$F_{z//}$ and $F_{w,s}$ are constant	v_e smaller
		$F_{w,l}$ is constant	
		If $F_{w,l}$ is constant although v_e is smaller this means that k must be larger because $F_{w,l} = k_1 \cdot v^2$ does not change	
	Standing straight	k can be made larger by making your surface larger	

Example SPA+



Combining all elements	<p>Conclusion: To make the final velocity smaller it is necessarily to stand up more straight.</p> <p>Connection: The skier is at the same slope with the same skies, so the component of the gravity along and perpendicular to the slope and the kinetic friction stays the same. This means that also the air friction must stay the same because $F_{z//} = F_{ws} + F_{wl}$.</p> <p>With the formula $F_{wl} = k \cdot v^2$. This means that if v must be smaller and F stays the same, this is only possible if k increases.</p> <p>Data: To let k increase the skier must stand up more straight.</p>
Is the answer an answer to the question asked?	<p>" The skier wants to go slower at the end, what can he do to obtain that?"</p> <p>Yes, the answer is an answer to the question</p>

Connection Model and SPA (+)



```

* SKier.py
# Data Sharing
#-----
from ti_system import *
from math import *
#-----

# constants
m = 80 # kg
k1 = 1.5 # kg/m
k2 = 0.05
a = 20
g = 9.81 # gravitational acceleration

dt = 0.1 #s time step of the simulation
n = 200 #number of steps

# initiation
v = 0 # no initial speed
t = 0 # time starts at 0 s
x = 0 # distance measured along the slope

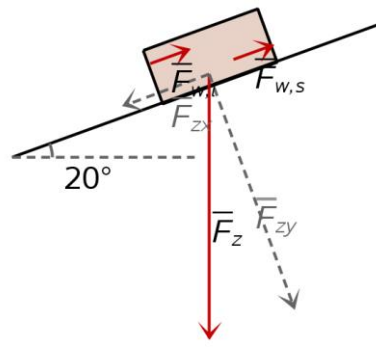
xl = [x]
vl = [v]
tl = [t]

for i in range(n):
    # model
    Fzx = m * g * sin(a/360 * 2 * pi) # calculation of components of the gravity force
    Fzy = m * g * cos(a/360 * 2 * pi)
    # calculation of the friction forces
    Fws = k2 * Fzy
    Fwl = k1 * v ** 2
    # calculation of acceleration, new velocity and place
    acc = (Fzx - Fwl - Fws) / m
    v = v + acc * dt
    x = x + v * dt
    t = t + dt
    # add new values to list for drawing
    xl.append(x)
    vl.append(v)
    tl.append(t)

store_list("xl", xl)
store_list("tl", tl)
store_list("vl", vl)
    
```



Data and sketch	$m = 80 \text{ kg}$ $\alpha = 20^\circ$ $k1 = 2,0 \text{ kg/m}$ $k2 = 0,05$
Relevant knowledge/formulas	$F = m \cdot g$ $F_z // = F_z \cdot \sin(\alpha)$ $F_{z\perp} = F_z \cdot \cos(\alpha)$ $\Sigma F = 0$ $F_{wl} = k1 \cdot v^2$ $F_{ws} = k2 \cdot F_n$



SPA+ and modelling

$$80 \cdot 9.81 \triangleright 784.8$$

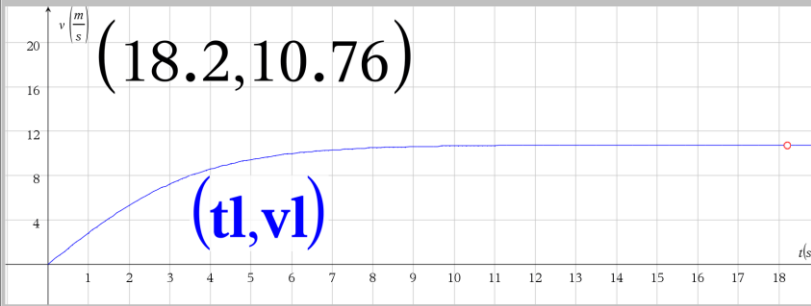
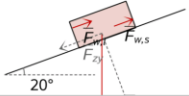
$$784.8 \cdot \sin(20) \triangleright 268.417$$

$$784.8 \cdot \cos(20) \triangleright 737.471$$

$$737.471 \cdot 0.05 \triangleright 36.8736$$

$$784.8 \cdot \sin(20) - 36.8736 \triangleright 231.544$$

$$\sqrt{\frac{231.544}{2}} \triangleright 10.7597$$



* SKier.py

```
# Data Sharing
```

```
from ti_system import *
from math import *
#=====
```

```
# constants
```

```
m = 80 # kg
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k1 = 1.5 # kg/m
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v = 0 # no initial speed
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```

```
x = 0 # distance measured along the slope
```

```
xl = [x]
```

```
vl = [v]
```

```
tl = [t]
```

```
for i in range(n):
```

```
    # model
```

```
    Fzx = m * g * sin(a/360 * 2 * pi) # calculation of components of the gravity force
```

```
    Fzy = m * g * cos(a/360 * 2 * pi)
```

```
    Fws = k2 * Fzy
```

```
    # calculation of the friction forces
```

```
    Fwl = k1 * v ** 2
```

```
    acc = (Fzx - Fwl - Fws) / m
```

```
    # calculation of acceleration, new velocity and place
```

```
    v = v + acc * dt
```

```
    x = x + v * dt
```

```
    t = t + dt
```

```
    xl.append(x)
```

```
    # add new values to list for drawing
```

```
    vl.append(v)
```

```
    tl.append(t)
```

```
store_list("xl", xl)
```

```
store_list("tl", tl)
```

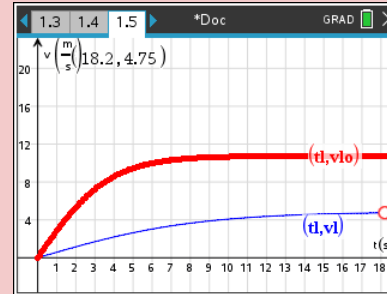
```
store_list("vl", vl)
```

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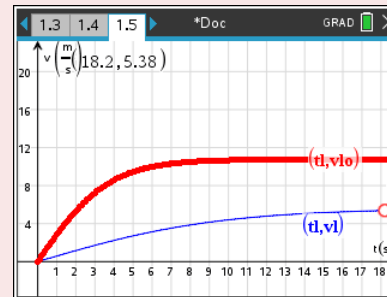
Questions and solutions

Question

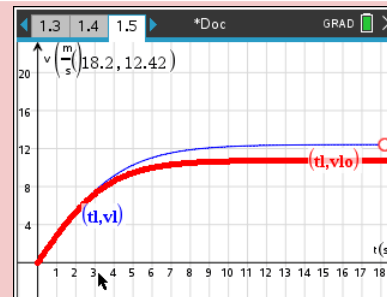
How does the v,t diagram change if the kinetic friction is enlarged? Why?



Assume that the red line are real data points. How do you have to change k_1 and k_2 to let the model predict the real data? Explain why?



What is changed between the red and the blue model output? Why?



Conclusion

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- SPA (+) is an algorithmic way to give students a strategy to answer:
 - Questions with difficult calculations
 - Questions that ask for explanations
- Calculations with many steps give high memory load giving low understanding
- Using models can help to increase understanding with less memory load
- Combining SPA+ with models make it possible to explore complex situations and learn students to reason.
- Computational thinking can help students with scientific literacy and critical thinking.